

COUNTRY SOLIDARITY, PRIVATE SECTOR INVOLVEMENT, AND THE CONTAGION OF SOVEREIGN CRISES

Work in progress

Athens University of Economics and Business
and Bank of Greece,

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Jean Tirole

I. INTRODUCTION

Main focus of academic analysis of sovereign borrowing:

- ✓ **sovereign debt level/maturity.** Allocation of risk between debtor country and creditors.

Understanding debt sustainability requires considering also:

- ✓ **market vs. official sector borrowing.** Or flip side: bail-in vs. bail-out
- ✓ **solidarity area.** Allocation of risk within the official sector
- ✓ **pattern of solidarity.** Spontaneous (ex post) or contractual (ex ante).

Example: *Eurozone crisis*: Private sector involvement? Bailout by Northern Europe or the rest of the world? And in what form?

Implications for building a formal analysis

This suggests adding to analysis the following ingredients:

- ✓ Introduce potential guarantors
 - ✓ Apply to them the same logic (willingness, rather than ability, to pay) as to debtor country:
 - Vulnerability: stand by the distressed country if the latter's private debt is smaller than the collateral damage cost
[*economic*: reduced trade, subsidiaries and banking exposures, run on other countries;
other: empathy, European construction, distressed country's nuisance power.]
 - This "pledgeable income" can be increased through joint-and-several liability (JL)
- ⇒ A country's borrowing capacity depends not only on its own WTP (literature), but also on:
- ✓ collateral damage its default would inflict on other countries;
 - ✓ latter's willingness to take on JL.

Two paradigms

(1) *One-way insurance*

International community/debtor country

Northern Europe/Southern Europe

(2) *Mutual insurance*

Europe, IMF..., behind the veil of ignorance

Main results

- ✓ Optimality of debt brakes
- ✓ Mixed public-private financing
- ✓ JL increases borrowing capacity and risk of contagion
- ✓ JL does not emerge under one-way insurance
- ✓ JL emerges behind the veil of ignorance, provided that
 - country shocks are sufficiently independent
 - spillover costs are relatively large relative to default costs.

II. ONE-WAY INSURANCE

- ✓ Three players
 - M (market)
 - P (principal/official sector)
 - A (agent/debtor country)
- ✓ Universal risk neutrality. M and P have deep pockets.
- ✓ Two periods, $t = 1, 2$.

Borrowing & repayment

Date 1

Agent $\left\{ \begin{array}{l} \text{borrows } b = b_M + b_P \text{ against debt claims } d_M \text{ and } d_P \\ \text{obtains } Rb \text{ where } R \text{ measures liquidity needs/} \\ \text{investment opportunities} \end{array} \right.$

Date 2

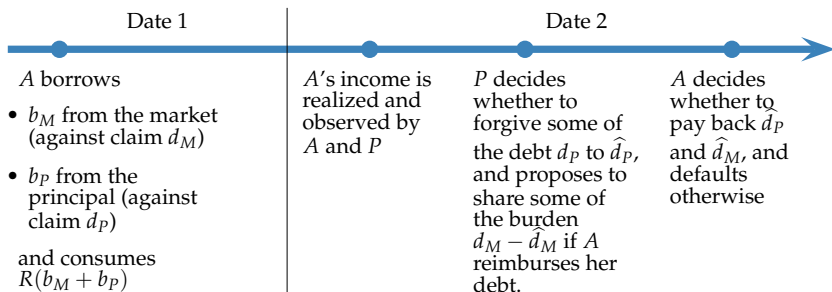
Agent learns income (beyond incompressible consumption)

$\left\{ \begin{array}{l} y \text{ with prob. } \alpha \text{ (Good state)} \\ 0 \text{ with prob. } 1 - \alpha \text{ (Bad state)} \end{array} \right.$

α is exogenous (easy to add *MH*: agent chooses α at date 1)

- ✓ Market does not observe income shock. Principal does, and forms a coalition with agent (similar insights if principal does not observe shock).

- ✓ *Debt forgiveness and bailout?* Principal can forgive to $\hat{d}_P \leq d_P$ and offer support conditional on private debt being repaid: $\hat{d}_M \leq d_M$.
- ✓ *Repayment decision:* Agent repays \hat{d}_P and \hat{d}_M or defaults.



Default costs

Agent's default cost: Φ_A

[Standard motivation: interruptions in trade patterns, denial of trade credit, seizure of assets & other retaliatory moves, internal cost of default, FDI interruptions, alliance shifts...]

Collateral damage/spillover cost: ϕ_P

[economic and political costs mentioned above]

Principal's own default cost: Φ_P

only if (a) takes on joint liability, (b) agent defaults, and (c) principal does not honor resulting liability.

Assume $y > \Phi_A$.

No-principal benchmark

If agent decides to borrow:

$$d_M = \Phi_A \quad (\text{maximal credible reimbursement})$$

and so

$$b_M = \alpha\Phi_A$$

$$\Rightarrow U_A = R(\alpha\Phi_A) + \alpha(y - \Phi_A) - (1 - \alpha)\Phi_A$$

Absence of borrowing yields αy .

Borrows iff $\alpha R > 1$

Then defaults in Bad state.

Principal: Date-2 debt forgiveness and bailouts

Agent: Agent reimburses iff $\hat{d} \equiv \hat{d}_M + \hat{d}_P \leq \Phi_A$.

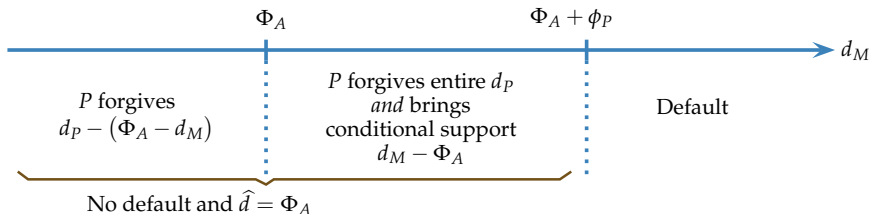
Principal:

Bad state (no income):

Principal forgives: $\hat{d}_P = 0$. Furthermore

$\left\{ \begin{array}{l} \text{if } d_M \leq \phi_P, \text{ bailout} \\ \text{if } d_M > \phi_P, \text{ default.} \end{array} \right.$

Good state:



Date 1: Laissez-faire (borrow from market only)

Optimum for agent (if borrows, i.e., $R \geq R_0$ for some $R_0 < 1$):

Low debt (no default): borrows $b_M = \phi_P$.

Agent reimburses $d_M = \phi_P$ in good state, is rescued in bad state.

High debt (default in bad state): debt $d_M = \Phi_A + \phi_P$.

Agent chooses risky policy if R or α are “large enough”:

$$R(\underbrace{\alpha\Phi_A - (1-\alpha)\phi_P}_{\text{increase in borrowing}}) \geq \underbrace{\Phi_A - \alpha\phi_P}_{\text{reduction in date-2 expected welfare}}$$

$(\alpha(\Phi_A + \phi_P) - \phi_P)$
if positive

or $R \geq R^*$ (where R^* may be $+\infty$)

$$U_P^* = \begin{cases} -\phi_P & \text{if } R \geq R^* \\ -(1-\alpha)\phi_P & \text{if } R < R^* \end{cases}$$

Optimal contract with official sector

At date 1, agent makes offer to principal. Mechanism design.

$$\text{Contract: } \begin{cases} b = b_M + b_P \\ d^\omega = d_M^\omega + d_P^\omega \end{cases} \quad (\text{actual payments})$$

Note: d_P^ω can be negative (bailout)

Proposition (optimal contract) When the agent contracts with the principal at date 1 and $R \geq 1$,

(i) an upper bound on the agent's utility is

$$\widehat{U}_A = R(\alpha\Phi_A - U_P^*) + \alpha(y - \Phi_A);$$

Derivation of upper bound

$$\max \left\{ U_A = Rb + \alpha(y - d^G) + (1 - \alpha)(-d^B) \right\}, \quad (\text{I})$$

where

$$b = b_M + b_P,$$

the participation constraints are satisfied:

$$-b_P + \alpha d_P^G + (1 - \alpha)d_P^B \geq U_P^*$$

$$-b_M + \alpha d_M^G + (1 - \alpha)d_M^B \geq 0,$$

and the incentive constraints are satisfied:

$$d^G \leq \Phi_A$$

$$d^B \leq 0$$

$$-d_P^\omega \leq \phi_P + \Phi_P \quad \text{for } \omega \in \{G, B\}.$$

Ignoring latter (principal IC) constraints,

$$U_A \leq R[\alpha d^G + (1 - \alpha)d^B - U_P^*] + \alpha(y - d^G) + (1 - \alpha)(-d^B).$$

Implementation of upper band

Proposition (optimal contract)

(ii) this upper bound is reached through the following contract:

- ✓ the agent borrows $b_M = d_M^G = d_M^B = \phi_P$ from the market; the principal monitors this cap on market financing (debt brake) and spontaneously bails out the agent in the bad state of nature;
- ✓ the agent borrows $b_P = \alpha\Phi_A - \phi_P - U_P^*$ from the principal, repays the principal $d_P^G = \Phi_A - \phi_P$ in the good state of nature, and receives bailout money $-d_P^B = \phi_P$ in the bad state of nature from the principal to repay its private creditors.

The agent never defaults.

Discussion

- ✓ *Debt brake requirement*

Agent otherwise may overborrow from market (negative externality on P).

Seniority rule does not solve problem.

- ✓ *No need for JL*

JL would allow agent to borrow more, so surplus would be higher; but the agent would have to borrow more to compensate the principal (utility is non-transferable)

- ✓ *Mixed financing.*

III. CONTRACTUAL SOLIDARITY

- ✓ Symmetric two-country version (behind veil of ignorance).
Borrowing b_i yields Rb_i .
- ✓ Probability p_k that k countries have income y (with $\sum_0^2 p_k = 1$)
Arbitrary pattern of correlation.
- ✓ Default costs: $\begin{cases} \text{own cost} & \Phi \\ \text{collateral damage cost} & \phi \end{cases}$

Let $\hat{\Phi} \equiv \Phi + \phi$ (upper bound on WTP).

Notation: In “state” k

$d_k \equiv$ expected per-country repayment ($d_0 = 0$ obviously)

$x_k \equiv$ expected number of defaults ($x_k \in [0, 2]$)

$\hat{\Phi}_k \equiv$ expected per-country total cost of default

[example: $\hat{\Phi}_k = \hat{\Phi}$ if both countries default]

Let $2\hat{\Phi}_1 \equiv \hat{\Phi}_1^y + \hat{\Phi}_1^0 = x_1\hat{\Phi}$

Payoff: $\max \left\{ R \left[\sum_{k=0}^2 p_k d_k \right] - \sum_{k=0}^2 p_k (d_k + \hat{\Phi}_k) \right\}$

Assume $R > \frac{1 + p_0}{1 - p_0} \geq 1$. Then borrowing is optimal and

- no default when both are intact ($\hat{\Phi}_2 = 0$)
- full default when both are distressed ($\hat{\Phi}_0 = \hat{\Phi}$).

Furthermore, *binding constraints* are:

$$d_2 \leq d_1 + \frac{x_1}{2} \hat{\Phi}$$

and

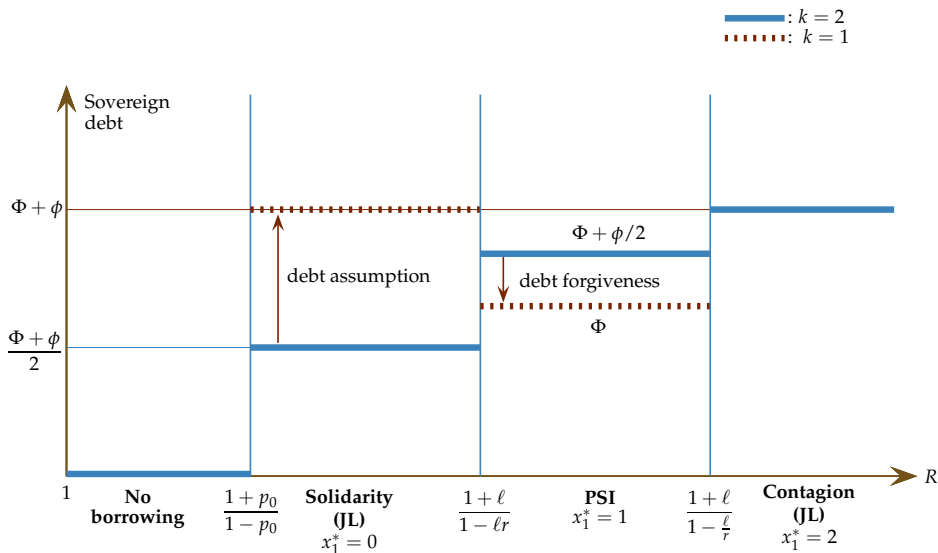
$$2d_1 + \hat{\Phi}_1^y \leq \hat{\Phi}$$

where cost to intact country when other is distressed is minimized conditional on number of defaults x_1 :

$$\hat{\Phi}_1^y = \begin{cases} x_1 \phi & \text{if } x_1 \leq 1 \\ \phi + (x_1 - 1)\Phi & \text{if } 1 \leq x_1 \leq 2. \end{cases}$$

Optimal contract

Let $\ell \equiv \frac{p_1}{p_2}$ (likelihood ratio) and $r \equiv \frac{\phi}{\Phi}$ (spillover-default cost ratio)



IV. ENDOGENOUS SPILLOVERS

- ✓ Spillover costs are in part endogenous
 - Mengus (2012), Gennaioli et al (2011): Part of ϕ depends on country's banks' investment in other country.
 - Unilateral incentive to reduce exposure so as to strengthen one's position?
 - Collective incentive (behind veil of ignorance)?
- ✓ We here focus on choice of spillovers by principal (in fact, both the principal and the agent impact spillovers)
 - Some spillovers cannot be controlled by country: ϕ_0
 - Others can be controlled: $z_i \in [0, 1]$ = exposure

$$\phi_i = \phi_0 + z_i(\phi - \phi_0)$$

[example: investment in other country's debt.]

(1) *One-way insurance*

- Intuition: should choose $z_P = 0$ (i.e., $\phi_P = \phi_0$) so as to contain soft-budget-constraint exposure.
- Broadly correct, but may choose $z_P > 0$ in order to incentivize agent to choose the safe policy.

(2) *Two-way insurance*: In solidarity region (no default), countries jointly decide to maximize their cross exposure:
 $\phi_i = \phi$.

V. SUMMARY AND APPLICATIONS

Summary

(1) *Collateral damage is collateral*

- Bailouts driven by fear of externalities.
- We have provided formal content to notion that a country's debt capacity depends on spillovers associated with its default.

(2) *Joint liability requires being behind veil of ignorance*

- Joint liability increases total surplus, creates domino effects
- Risky countries cannot compensate safe ones for accepting joint liability (would have to borrow more: compensation in funny money).

(3) *Endogenous spillovers.*

Many possible extensions, including:

- ✓ Extended solidarity (inner/outer solidarity area, Eurozone/ international community)
- ✓ Asymmetric information about spillovers and posturing.